

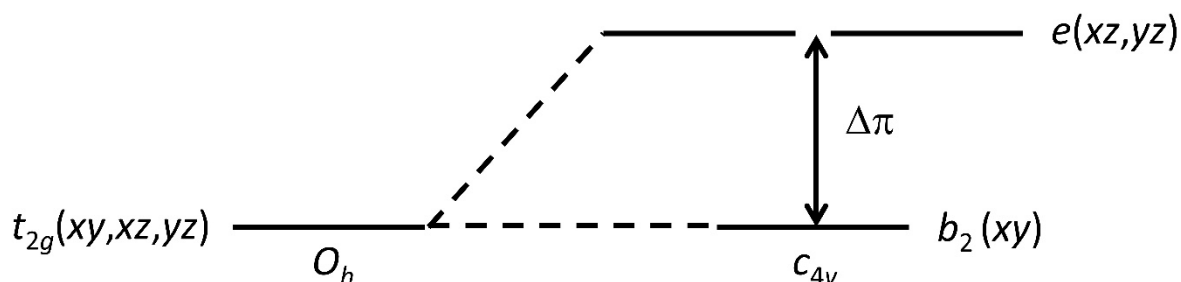
### Problem Set 3

Ch153a – Winter 2025

Due: 31 January 2025

#### 1. (50 points) Spin Crossover in $d^2$ and $d^3$ Oxo- and Nitrido Complexes

The  $d\pi$ -orbital splitting for a tetragonal oxo- or nitrido-metal complex is shown below.



The value of  $\Delta\pi$  is not the same in all of the states of a  $d^2$  or  $d^3$  nitrido or oxo complex. The  $M\equiv N$  (or  $M\equiv O$ ) bond should be longer in a  $(xy)^1(xz,yz)^1$  excited state than in the  $(xy)^2$  ground state. Consequently, in the relaxed  $(xy)^1(xz,yz)^1$  excited state,  $\Delta\pi$  will be smaller than it was in the ground state.

The following states and energies arise from the  $d^2$ , and  $d^3$  configurations in this scheme:

$d^2$ :

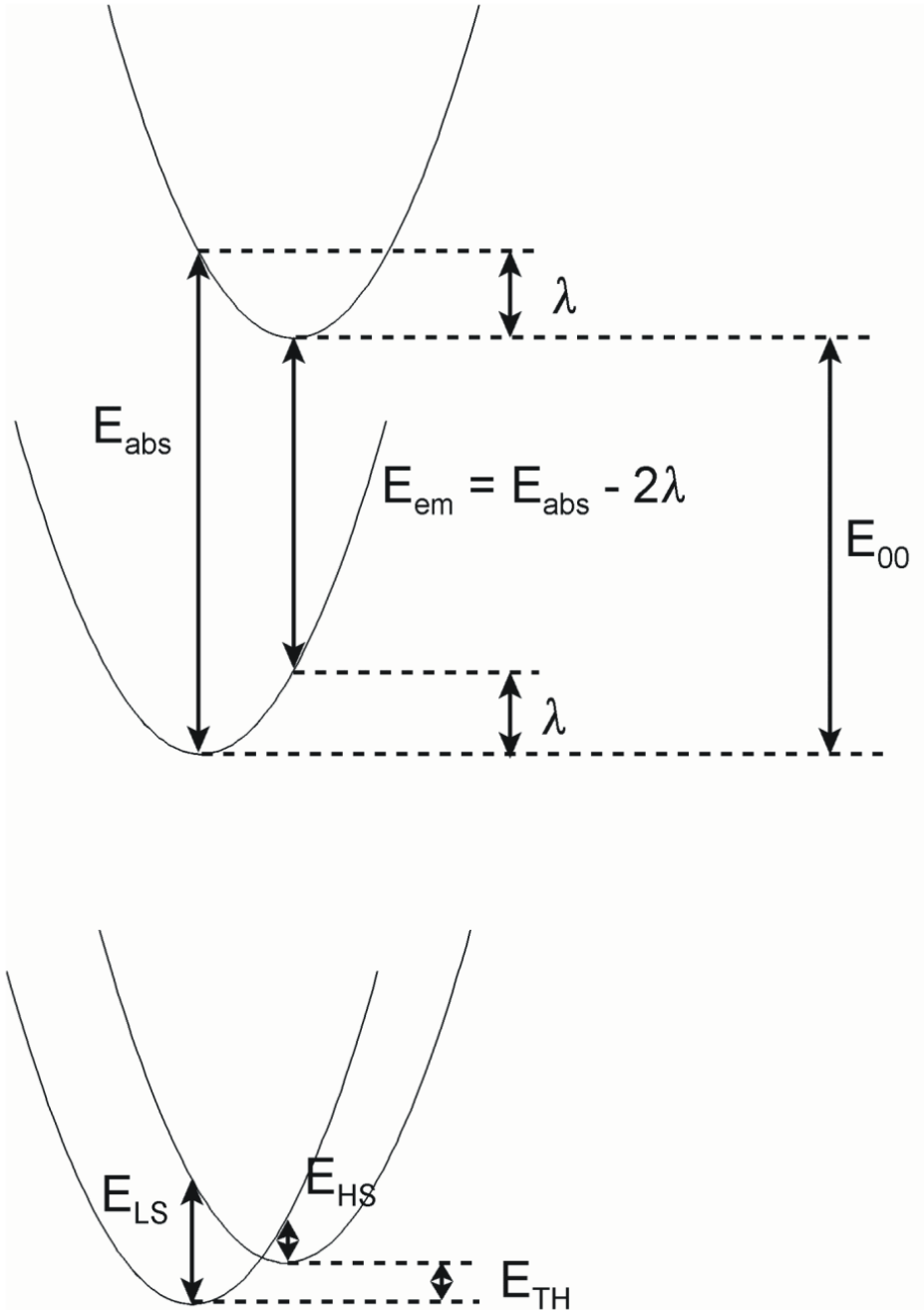
|                          |                                |
|--------------------------|--------------------------------|
| ${}^3A_2[(xz,yz)^2]$     | $E = 2\Delta\pi + A - 5B$      |
| ${}^1A_1[(xz,yz)^2]$     | $E = 2\Delta\pi + A + 7B + 4C$ |
| ${}^1B_1[(xz,yz)^2]$     | $E = 2\Delta\pi + A + B + 2C$  |
| ${}^1B_2[(xz,yz)^2]$     | $E = 2\Delta\pi + A + B + 2C$  |
| ${}^1E[(xy)^1(xz,yz)^1]$ | $E = \Delta\pi + A + B + 2C$   |
| ${}^3E[(xy)^1(xz,yz)^1]$ | $E = \Delta\pi + A - 5B$       |
| ${}^1A_1[(xy)^2]$        | $E = A + 4B + 3C$              |

$d^3$ :

|                            |                                 |
|----------------------------|---------------------------------|
| ${}^2E[(xz,yz)^3]$         | $E = 3\Delta\pi + 3A - 3B + 4C$ |
| ${}^4B_1[(xy)^1(xz,yz)^2]$ | $E = 2\Delta\pi + 3A - 15B$     |
| ${}^2B_1[(xy)^1(xz,yz)^2]$ | $E = 2\Delta\pi + 3A - 6B + 3C$ |
| ${}^2A_1[(xy)^1(xz,yz)^2]$ | $E = 2\Delta\pi + 3A - 6B + 3C$ |
| ${}^2B_2[(xy)^1(xz,yz)^2]$ | $E = 2\Delta\pi + 3A + 5C$      |
| ${}^2A_2[(xy)^1(xz,yz)^2]$ | $E = 2\Delta\pi + 3A - 6B + 3C$ |
| ${}^2E[(xy)^2(xz,yz)^1]$   | $E = \Delta\pi + 3A - 3B + 4C$  |

You can estimate the change in  $\Delta\pi$  from the shape of the absorption band. In  $\text{Mn}^{\text{V}}(\text{N})(\text{CN})_5^{3-}$ , the parameter  $\lambda$  is about  $3,400\text{ cm}^{-1}$ . So, if  $E_{\text{abs}} = 19,400\text{ cm}^{-1}$ , then  $E_{\text{em}} = 12,600\text{ cm}^{-1}$ . The energy gap between  ${}^3\text{E}$  and  ${}^1\text{A}_1$  is  $\Delta\pi - 9\text{B} - 3\text{C} \approx \Delta\pi - 21\text{B}$ .

Refer to the graphic below. For thermal population of a high-spin state, the relevant energy is  $E_{\text{TH}}$  (or  $E_{00}$ ), which is less than the vertical energy difference:  $E_{\text{TH}} = E_{\text{abs}} - \lambda$ .



- a. Find the  $\Delta_{\pi}$  values at the high-spin/low-spin crossover points for  $d^2$  and  $d^3$  tetragonal oxo- and nitrido-metal complexes. Assume that  $B = 500 \text{ cm}^{-1}$  and  $C/B = 4$ .
- b. Assume that you have a high-spin/low-spin equilibrium in a  $d^2$  tetragonal oxo- or nitrido-metal complex in which  $E_{\text{TH}} = 0$ . What are the  $\Delta_{\pi}$  values for high- and low-spin forms?
- c. Assume that you have a high-spin/low-spin equilibrium in a  $d^3$  tetragonal oxo- and nitrido-metal complex in which  $E_{\text{TH}} = 0$ . What are the  $\Delta_{\pi}$  values for high- and low-spin forms?
- d. What are the relative populations of the high- and low-spin states in problems (b) and (c)?
- e. Karl Wieghardt reported (*Angew. Chem. Int. Ed.* **2005**, *44*, 2908-2912) that, *unexpectedly*, the ground-state total spin of the [(cyclam-acetato)Fe<sup>V</sup>(N)]<sup>+</sup> core is  $S=1/2$  and not  $S=3/2$ . Discuss whether you think that this result is "unexpected".